

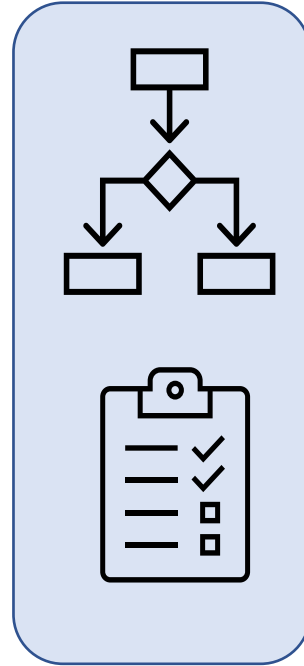
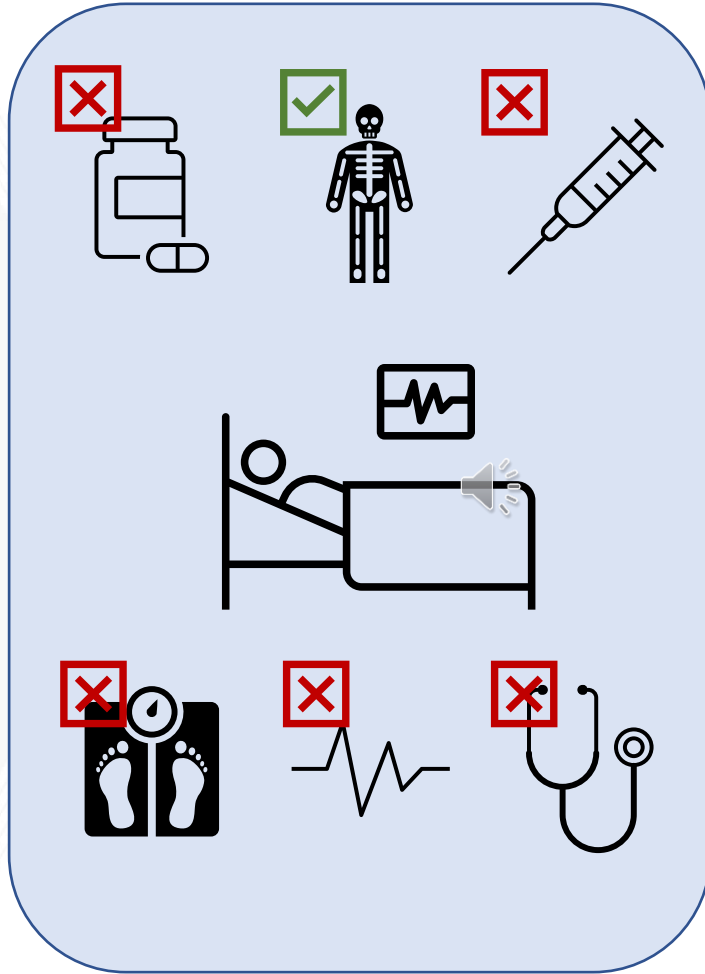
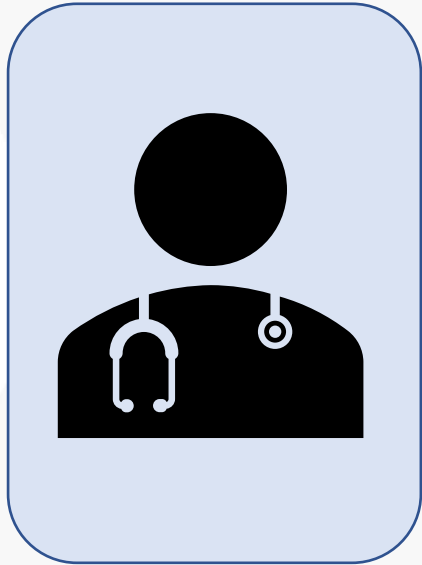


Optimal Experimental Design Methods for Acquiring and Restricting Information to Improve Decision Making




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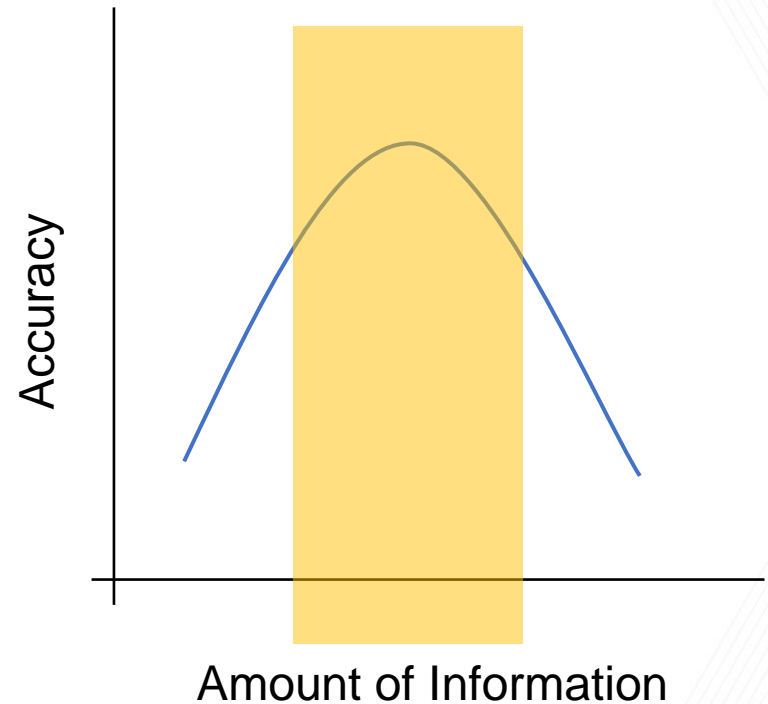


Introduction

- Decision makers are often required to make decisions with partial or incomplete information
- To design effective decision support systems we must be able to pinpoint the most useful information to present to operators in order to increase decision-making accuracy
- A crucial part of this task is  assisting the decision maker in differentiating between their choices in one of two ways:
 1. acquiring the most useful piece of information that is currently unavailable
 2. restricting the available piece of information that is least useful in discriminating between options

Why restrict information: Less-is-more effect

- Less-is-more effects: there is a point where more is not better, but harmful.
- There is an inverse U - shaped relation between level of accuracy and amount of information [3]

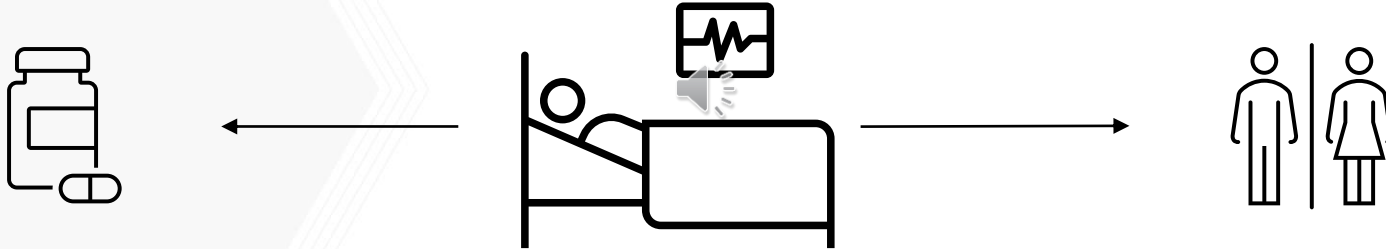


How do we find the appropriate amount of information to present to our decision maker?

How to curate information

Information
Acquisition

Information
Restriction



Access the cues that are believed to be better predictors while intentionally hiding superfluous cues through usefulness measures

Foundational Work: Bayesian Optimal Experimental Design (OED) framework

- OED framework gages the usefulness of experiments or parameters such that one can distinguish between options [7]
- OED methods use Bayes Theorem for belief revision of each category when a new feature is observed then defines the usefulness of this feature

- Usefulness [1]:

$$u_{PG}(f) = \max(P(c_i|f)) - \max(P(c_i)) \quad (1)$$

- f : new feature
- c_i : categories

Probability Gain for Information Acquisition

- Information acquisition (IA): we aimed to find the usefulness of an unknown cue and acquire the most useful unknown cue
- IA maximizes the probability gain, equivalent to minimizing the probability of error, and thus, maximizing the probability of making a correct decision [6]

- Usefulness when adding a cue  is given by:

$$u_{PG}(c_i) = \max \left(P(O_j | c_i, C_j) \right) - \max \left(P(O_j | C_j) \right) \quad (2)$$

- O_j : option category
 - C_j : set of previously known cues
 - c_i : new cue
- *We use slightly different notation to be consistent with the exemplar

Probability Loss for Information Restriction

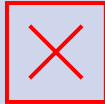




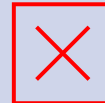


- Information restriction (IR) looks at the usefulness of the cues already known and removes the cue that is least useful
- IR seeks to minimize the loss in probability of removing a single cue












- Usefulness when removing a cue is given by:

$$u_{PL}(c_i) = \min \left((P(O_j|C_j)) - \max \left(P(O_j|C_j, c_i) \right) \right) \quad (3)$$

Predicting myocardial infarction (heart attack): Toy Problem

	Patient A	Patient B
Electrocardiogram (ST)		
Chest pain (CP)		
Other risk factors (OT)		
Infarction (Inf)		

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Predicting myocardial infarction (heart attack): Toy Problem

	ST	CP	OC	Inf
Patient A	?	0	1	?
Patient B	?	1	?	?

	Prior	likelihood ($c_i=1$)			likelihood ($c_i=0$)		
i		ST	CP	OC	ST	CP	OC
A	0.034	0.034	-	0.034	0.000	0.157	-
B	0.135	0.112	0.169	0.124	0.000	-	0.112

	Posterior	Probability gain	Cue _{PG}	Probability loss	Cue _{PL}
A	0.034	0.034	ST	0.000	OC
B	0.135	0.135	ST	0.034	CP

Conclusions

1. Decision support systems using OED probability gain methods can inform a decision maker on which information is most critical in acquiring to make their decisions and the level of criticality of that information
2. The new probability loss method has shown that we can limit the amount of information given to a decision maker and have almost no impact on whether one can computationally select the correct method

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